

Introduction

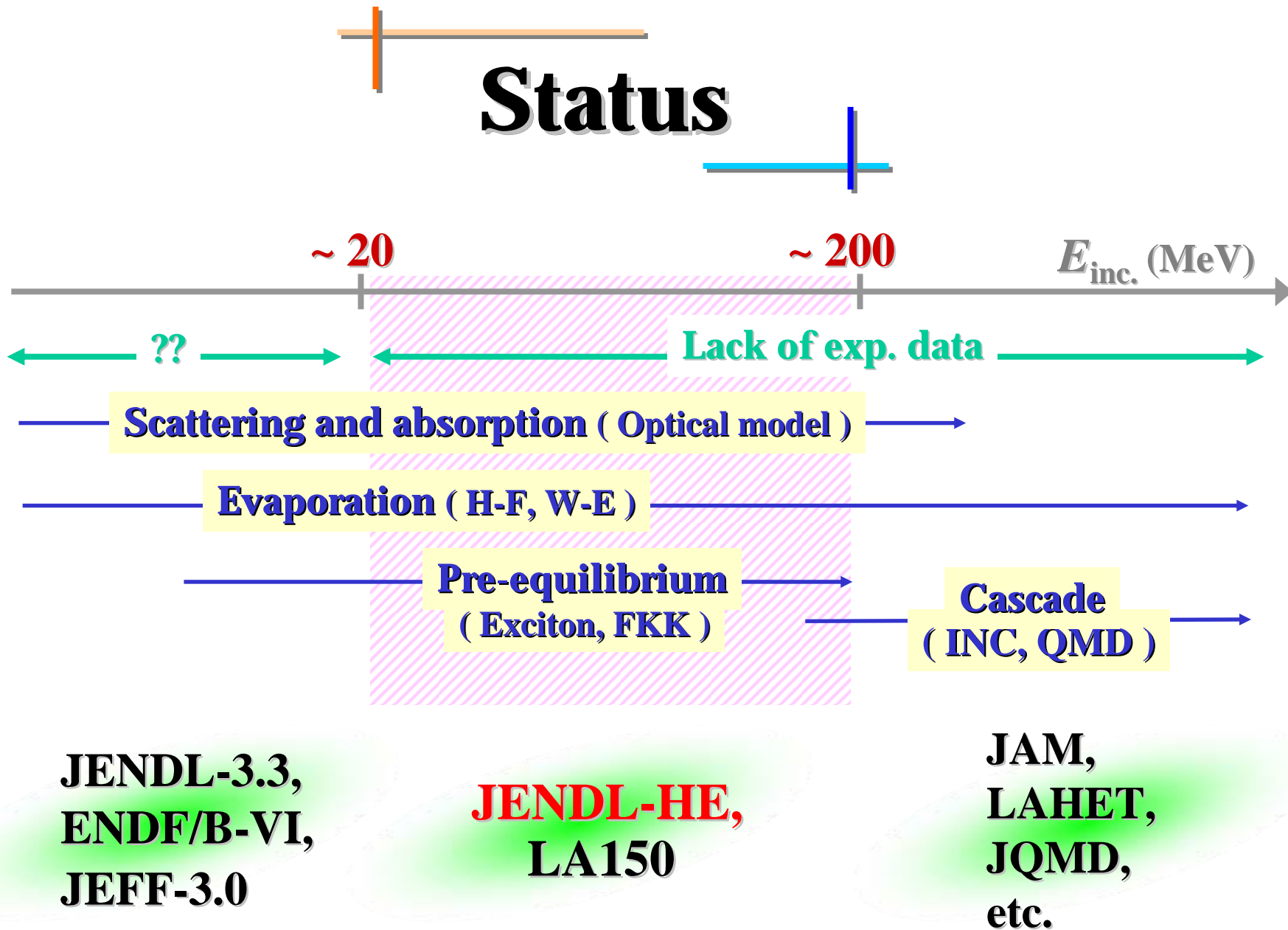
- **Accelerator-based application facilities**
- **Estimation of the cosmic ray effects**
- **Cancer therapy**



Evaluated nuclear reaction data

- **Neutron & proton inc.**
- **~ GeV range**
- **Various nuclei**

Status



Purpose of this study

$^{90,91,92,94,96}\text{Zr}$, ^{93}Nb , $^{182,183,184,186}\text{W}$

Zr : Nuclear fuel element for ADS

Nb : Superconducting material such as NbTi, Nb₃Sn

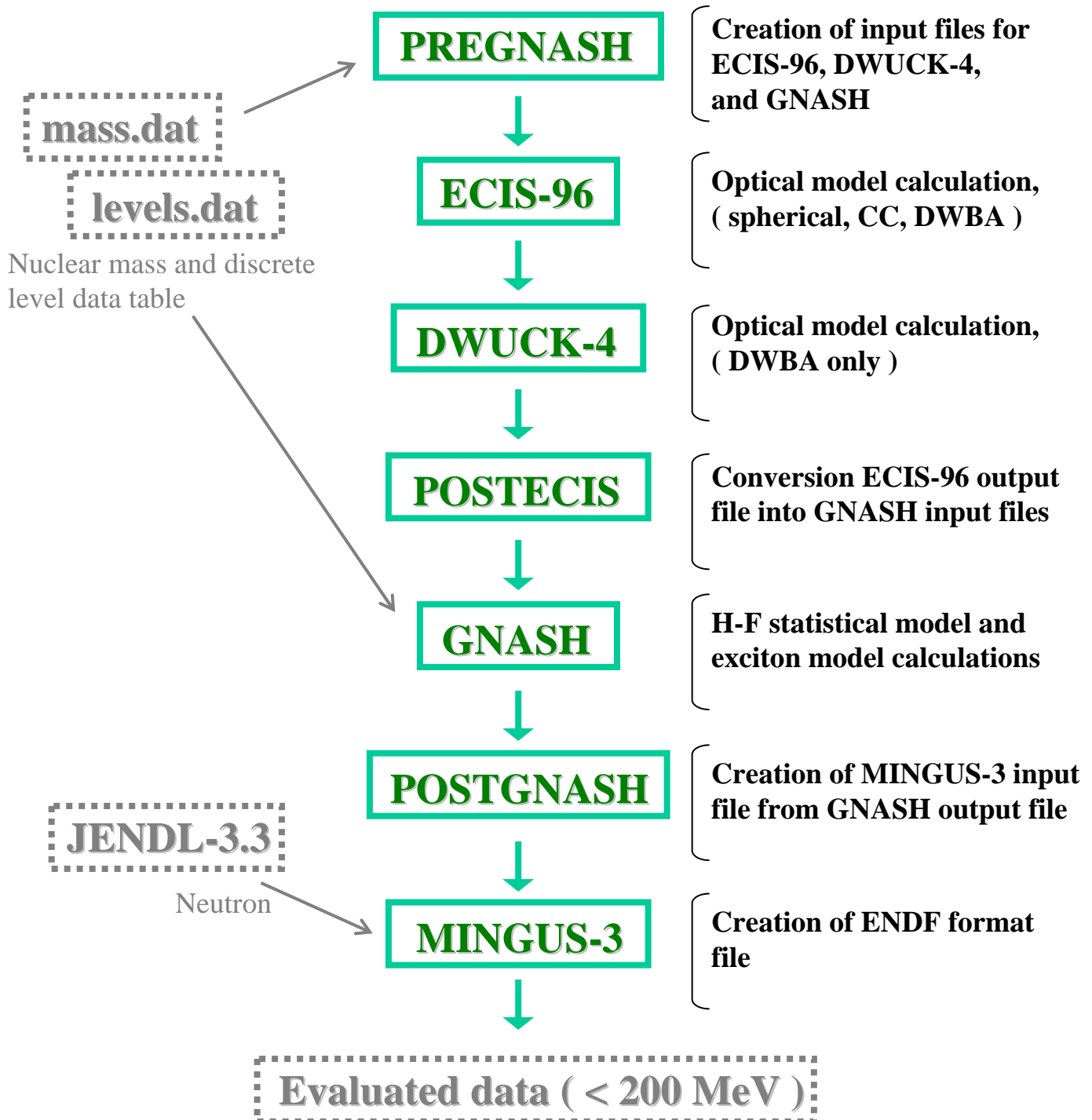
W : Spallation neutron source, beam window

- Energy range -

Neutron : 20 ~ 200 MeV

Proton : 10 ~ 200 MeV

GNASH code system



Optical model analysis

Local OMPs : around Zr, and W

Phenomenological, spherical OMP

Continuous-energy dependent OMP

- $V_r(E), W_v(E), W_d(E)$ → Empirical search
- $V_{so}(E), W_{so}(E)$ → Koning & Delaroche

Elastic, total and total-reaction c.s. → Evaluated c.s.

Transmission coeff. $T_l(\epsilon)$ → For H-F calculations

H-F statistical calculation

OMPs for transmission coeff. “ $T_l(\varepsilon)$ ”

- n, p : Our OMP
- $d, {}^3\text{He}$: Daehnick *et al.*
- t : Becchetti & Greenlees
- α : Avrigeanu *et al.*

Level density parameter “ a ” (Fermi-gass region in G-C)

- Taken from RIPL (The same parameter used for JENDL-3.3),
- Ignatyuk *et al.* (If there were no data in the RIPL)

Exciton model calculation

Nucleon emissions

- State density parameter “ g ” : $A/13$
- “ $|M|^2$ ” for transition rate : slight adjustment
- Average effective well depth “ V_{eff} ” : adjusted for p_{inc} eval.
(Nuclear surface effect)

Composite-particles emissions

- Pickup : original Kalbach semi-empirical model
- α -knockout : modified Kalbach semi-empirical model

Note, A factor was multiplied to get reasonable agreement with exp. data

Calculation for α -knockout

Kalbach original expression

$$\frac{d\sigma_{\text{knoc.}}(a, b)}{d\epsilon} = \mathcal{F}_{\text{knoc.}} \times \frac{\sigma_a}{p_a E_a^3} (2s_b + 1) p_b \epsilon \sigma_b(\epsilon) \frac{\omega_{\text{knoc.}}(U)}{A^2} F$$

$$\omega_{\text{knoc.}}(U) = g_i g_\alpha \left(U - \frac{1}{2g_i} - \frac{1}{2g_\alpha} \right)$$



$$\frac{d\sigma_{\text{knoc.}}(a, b)}{d\epsilon} = \mathcal{F}'_{\text{knoc.}} \times \frac{\sigma_a}{p_a} (2s_b + 1) p_b \epsilon \sigma_b(\epsilon) \frac{\omega_{\text{knoc.}}(U)}{\omega_{\text{knoc.}}(U_{\text{max}})} \frac{F}{A^2}$$

$$\omega_{\text{knoc.}}(U) = g_i g_\alpha \left(U - \frac{1}{2g_i} - \frac{1}{2g_\alpha} \right) \exp\left(\frac{U}{\eta}\right)$$

Adjustable

DWBA calculation

(In-elastic direct reaction calc.)

Excitations of low-lying levels

OMP : Our OMP

Level info. ($E_{\text{ex}}, l, \pi, \beta$) : RIPL

Excitation of GR (LEOR; $I^\pi = 3^-$)

$$\left(\frac{d\sigma}{d\varepsilon} \right)_{GR} = \beta^2 \sigma^{dw} \times f(\hbar\omega, \Gamma)$$

β (deformation parameter)	: sum rule
$\hbar\omega$ (average E_{ex})	: Adjustable
$f(\hbar\omega, \Gamma)$: Lorentzian func.
Γ (resonance width)	: ~ 5 MeV

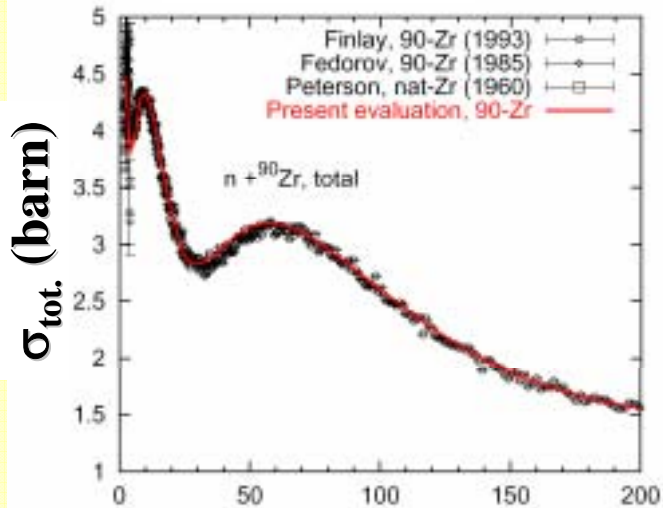
This evaluation vs LA150

(Summary for main differences)

	Our eval.	LA150
Target	Zr, Nb, W	No data for Zr
OMP (n,p)	Local (continuous E dependent)	Global (slight adjustment)
$V_{\text{eff.}}$	Adjusted for p_{inc} eval.	No adjustment
Composite-particle pre-equilibrium emiss.	Modified semi-empirical model	Original semi-empirical model
LEOR	Nb, W	Only for W

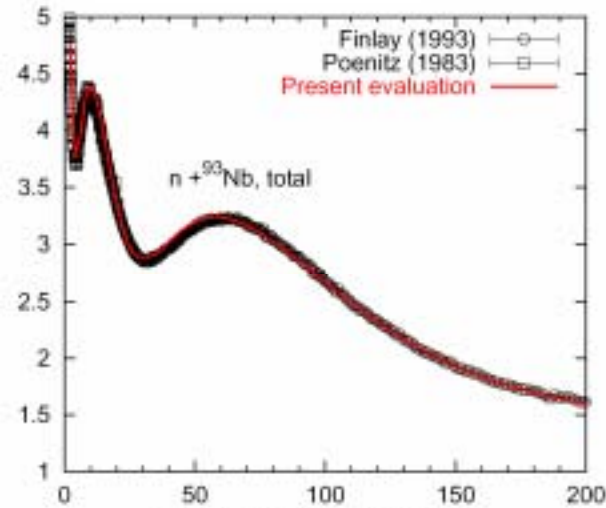
Results of $\sigma_{\text{tot.}}(E_n)$ (Total cross sections)

$n + {}^{90}\text{Zr}$



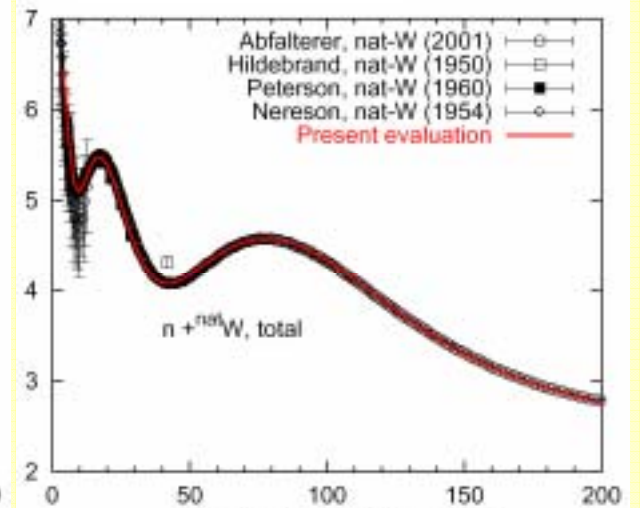
E_n (MeV)

$n + {}^{93}\text{Nb}$



E_n (MeV)

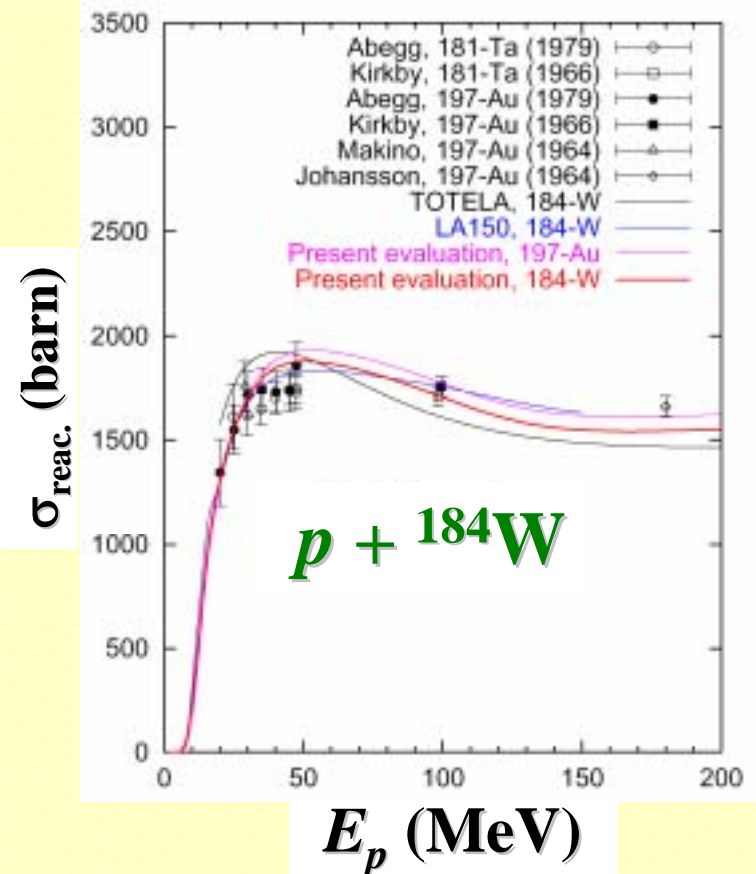
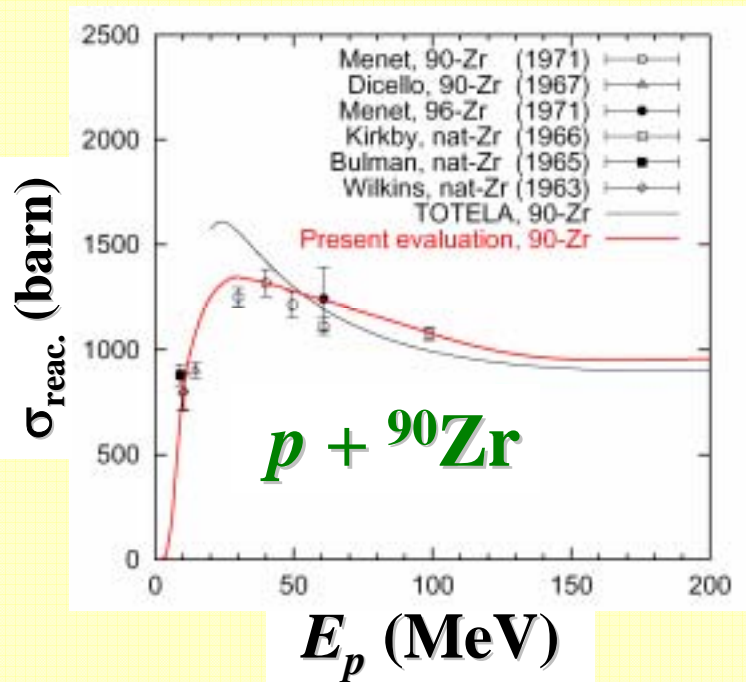
$n + \text{natW}$



E_n (MeV)

Results of $\sigma_{\text{reac.}}(E_p)$

(Total-reaction cross sections)



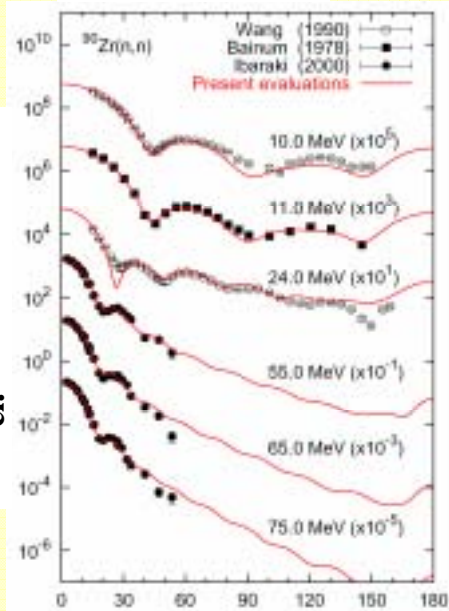
Results of $(d\sigma_{el.}/d\Omega)$

(Elastic differential cross sections)

$p + {}^{90}\text{Zr}$

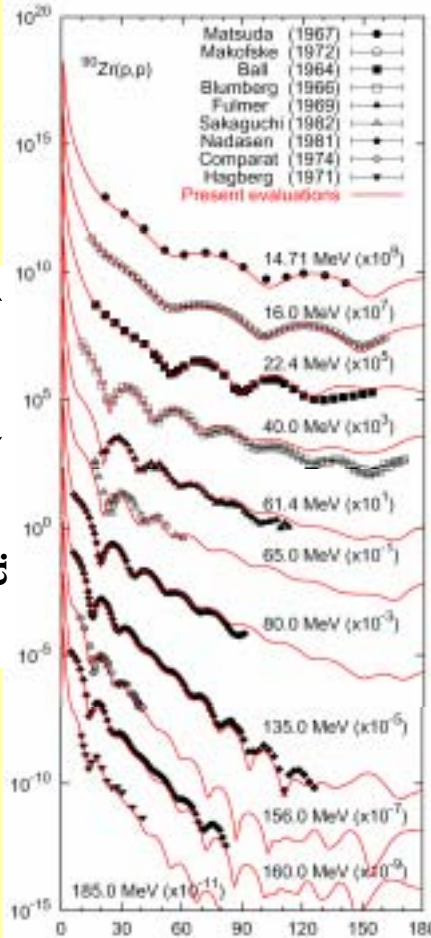
$n + {}^{90}\text{Zr}$

$d\sigma_{el.}/d\Omega$ (mb/sr)



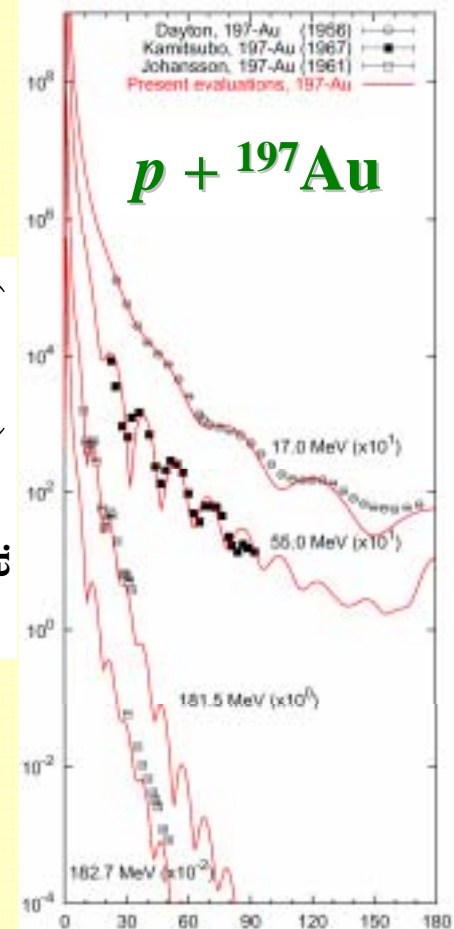
$\theta_{c.m.}$

$d\sigma_{el.}/d\Omega$ (mb/sr)



$\theta_{c.m.}$

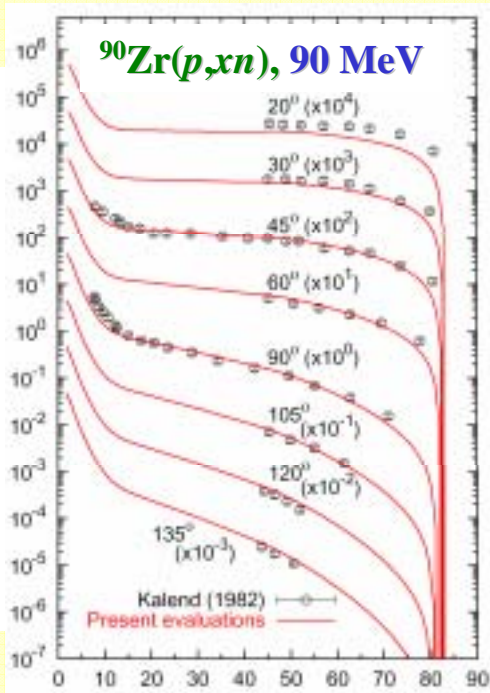
$d\sigma_{el.}/d\Omega$ (mb/sr)



$\theta_{c.m.}$

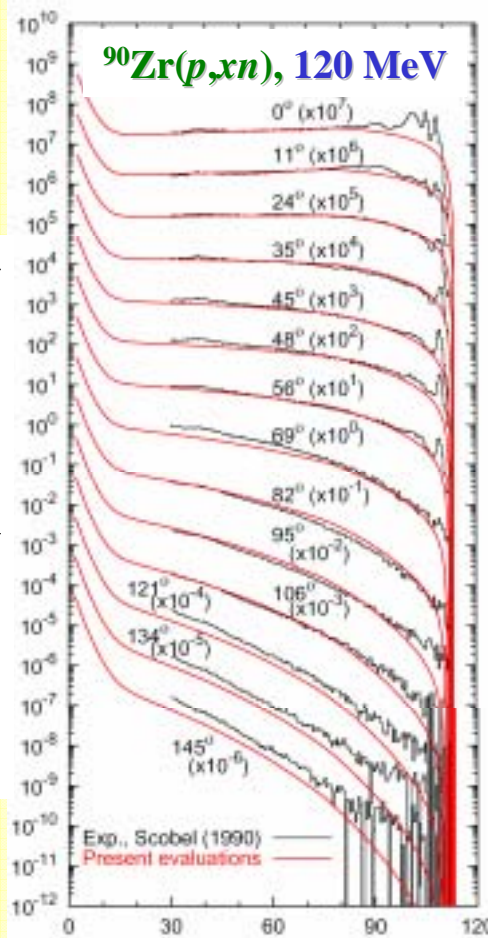
Nucleon prod. DDX for Zr

$d\sigma/d\Omega/d\varepsilon$ (mb/sr/MeV)



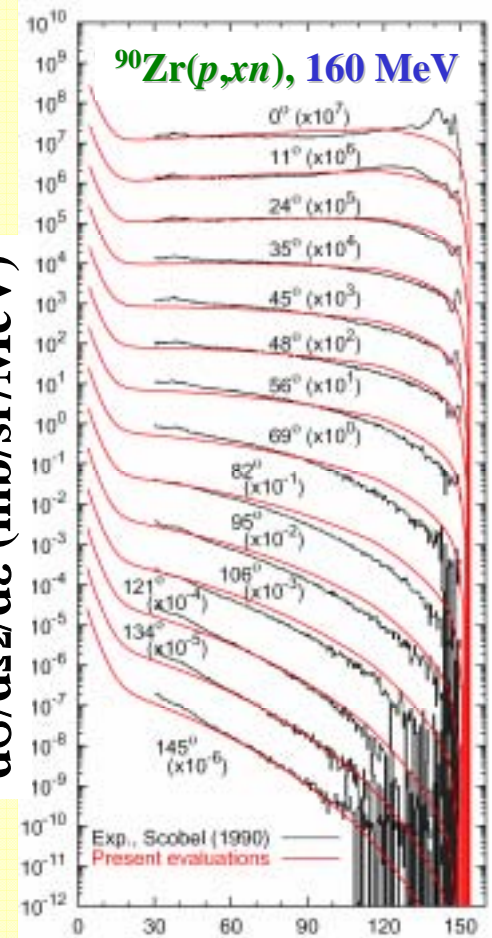
ε_n (MeV)

$d\sigma/d\Omega/d\varepsilon$ (mb/sr/MeV)



ε_n (MeV)

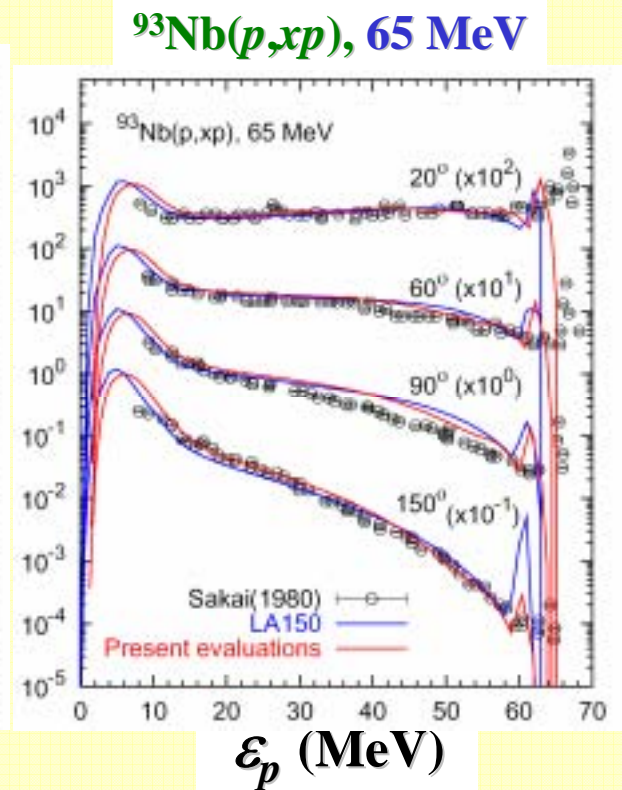
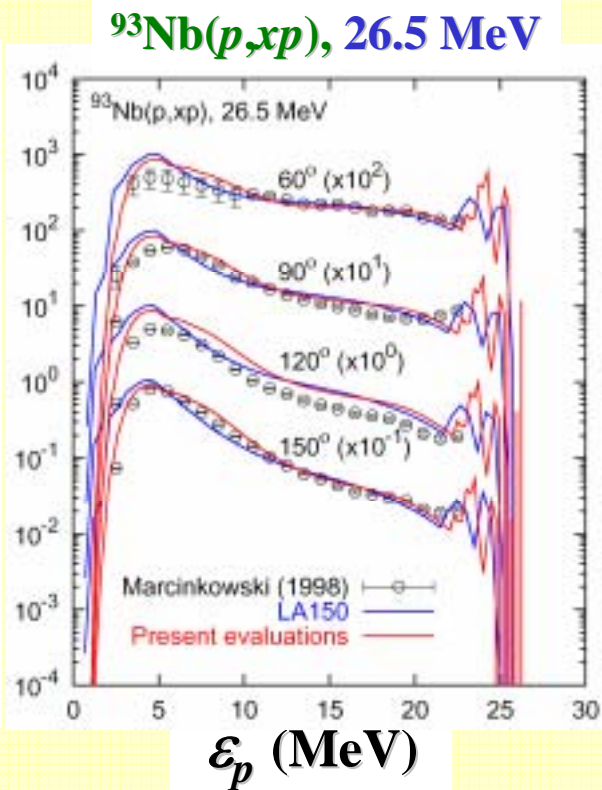
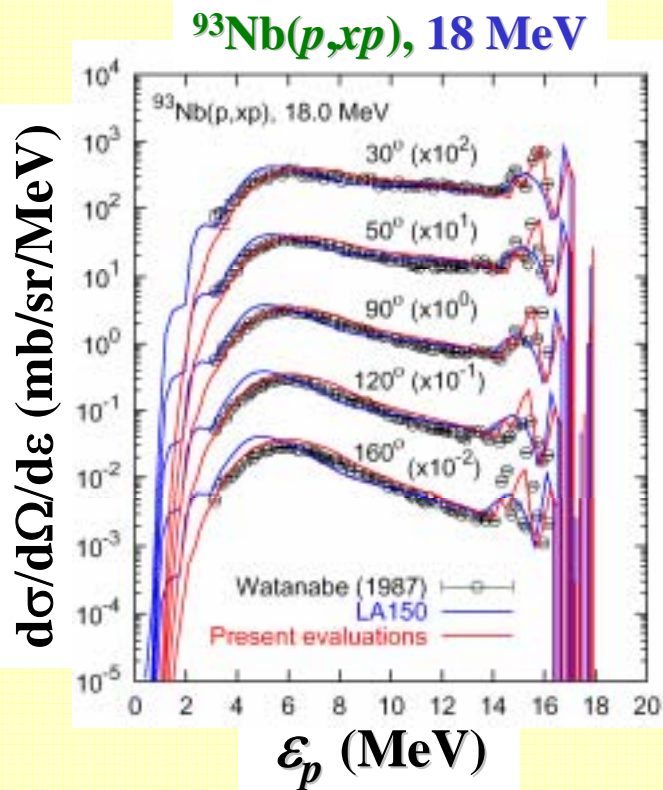
$d\sigma/d\Omega/d\varepsilon$ (mb/sr/MeV)



ε_n (MeV)

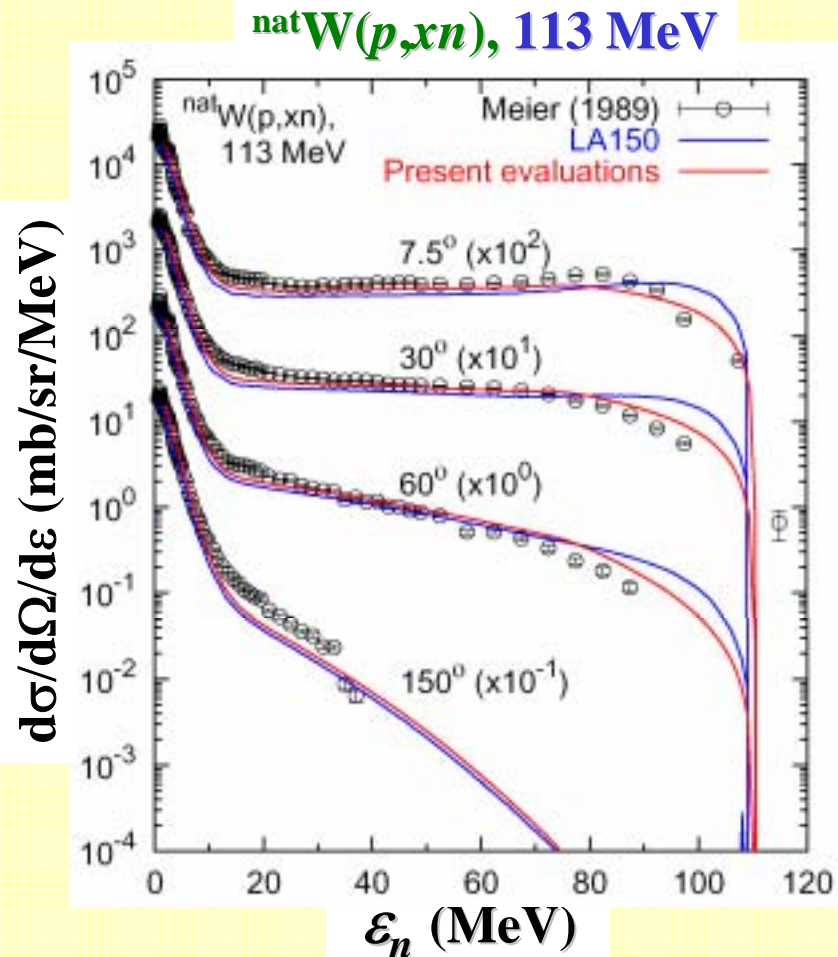
Nucleon prod. DDX for Nb

(Our evaluations & LA150 eval.)



Nucleon prod. DDX for W

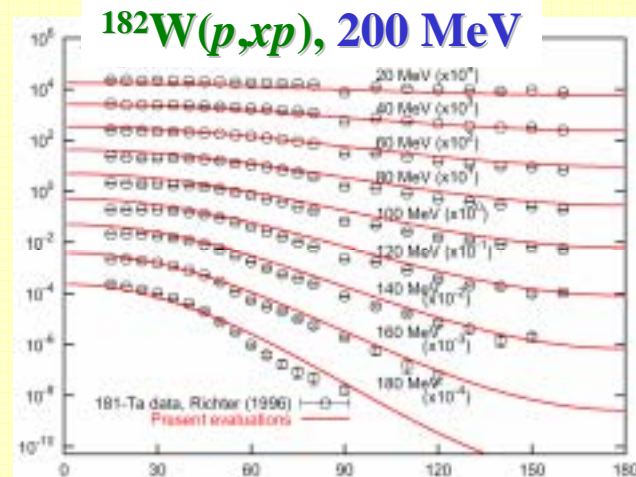
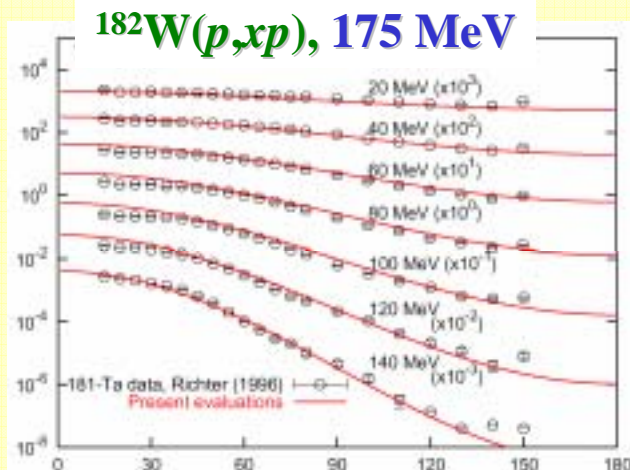
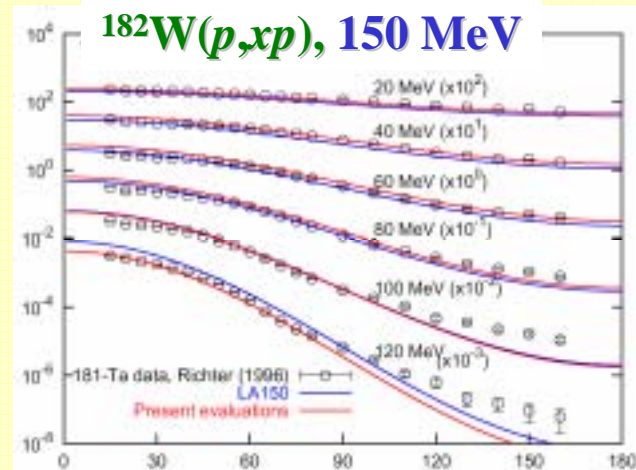
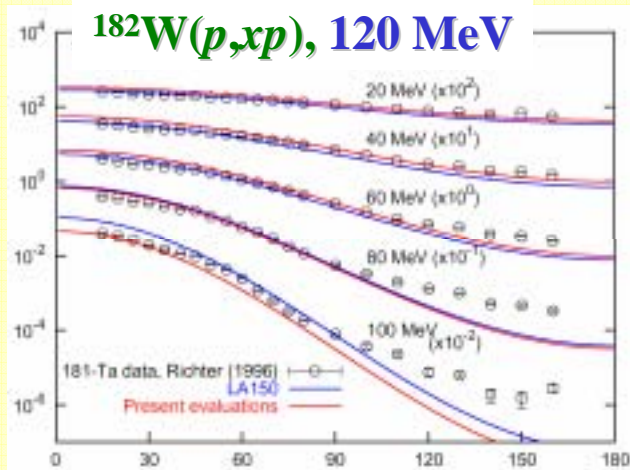
(Our evaluations & LA150 eval.)



Nucleon prod. DDX for W

(Our evaluations & LA150 eval.)

$d\sigma/d\Omega/d\varepsilon$ (mb/sr/MeV)

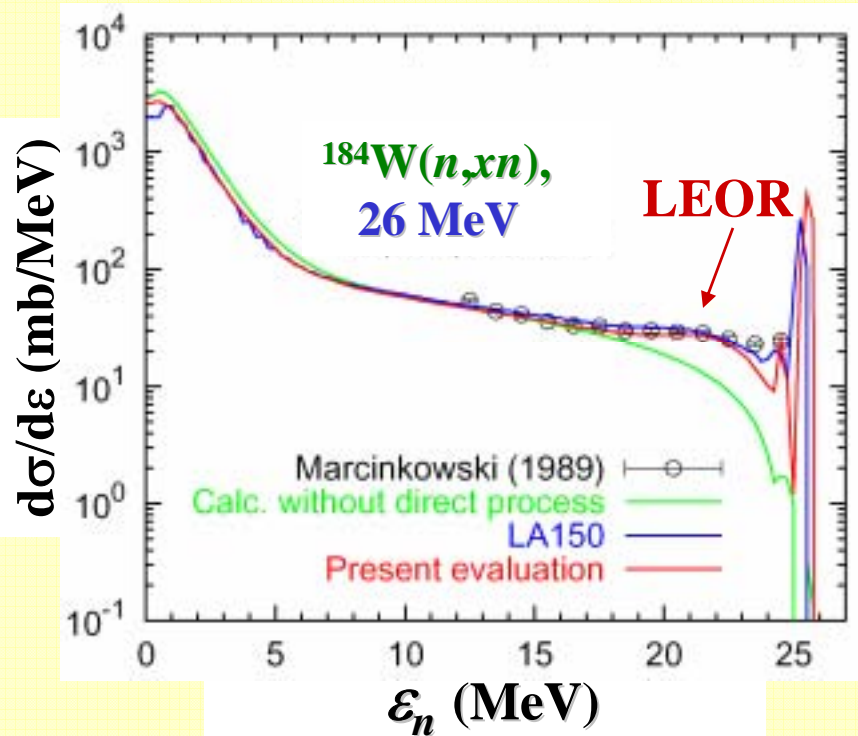
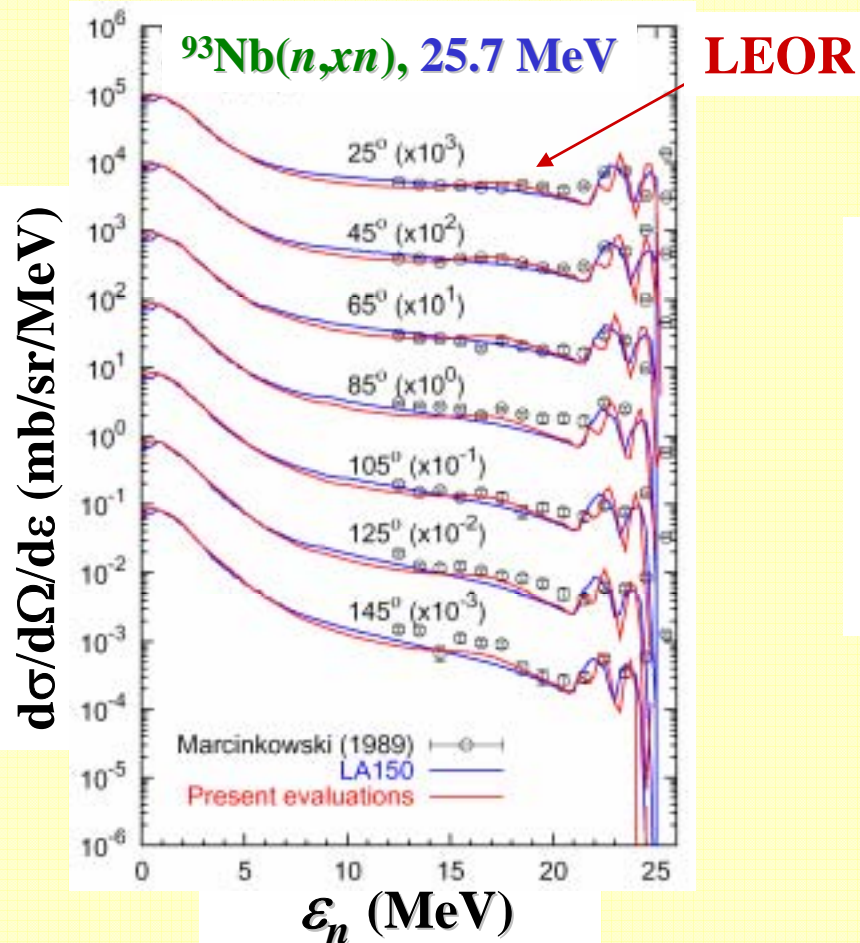


Lab. Angle (deg.)

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LEOR contributions

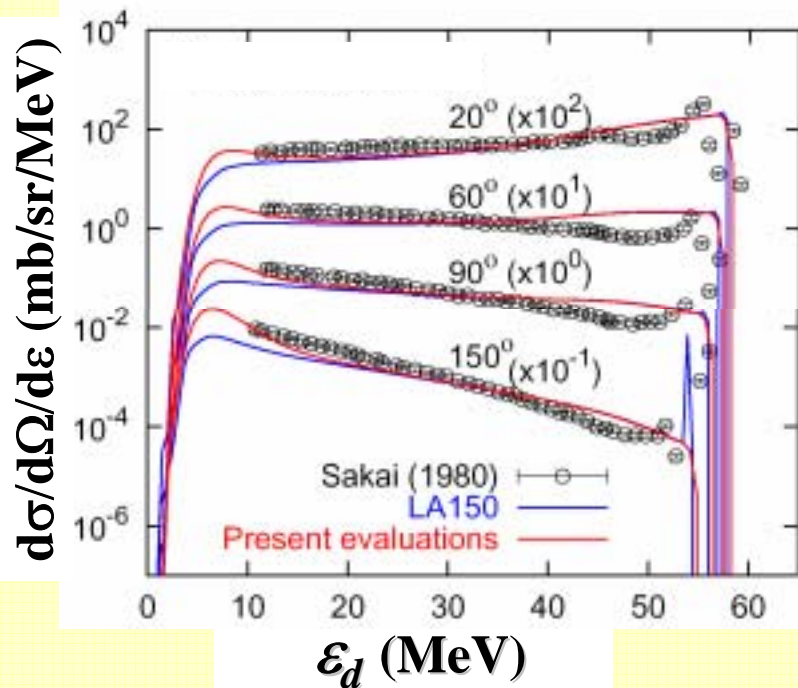
(Our evaluations & LA150 eval.)



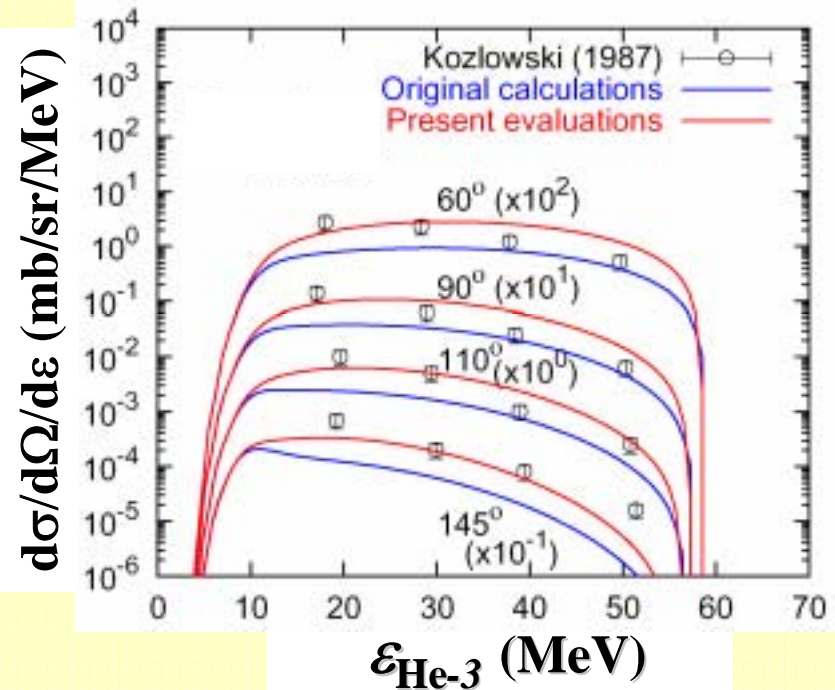
Composite-particle prod.

(Our evaluations & LA150 eval.)

$^{93}\text{Nb}(p,xd), 65 \text{ MeV}$

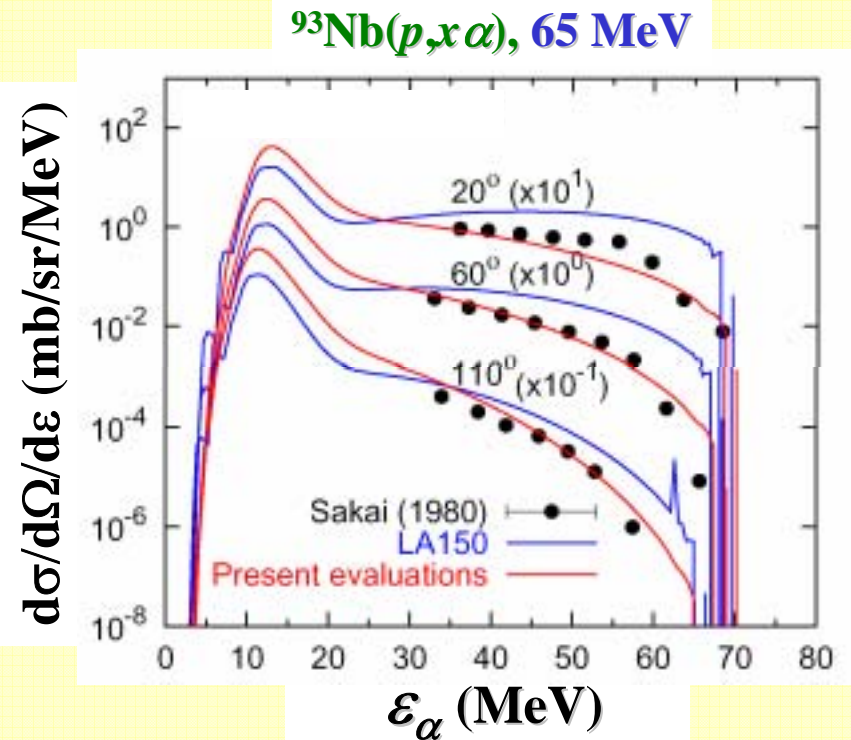
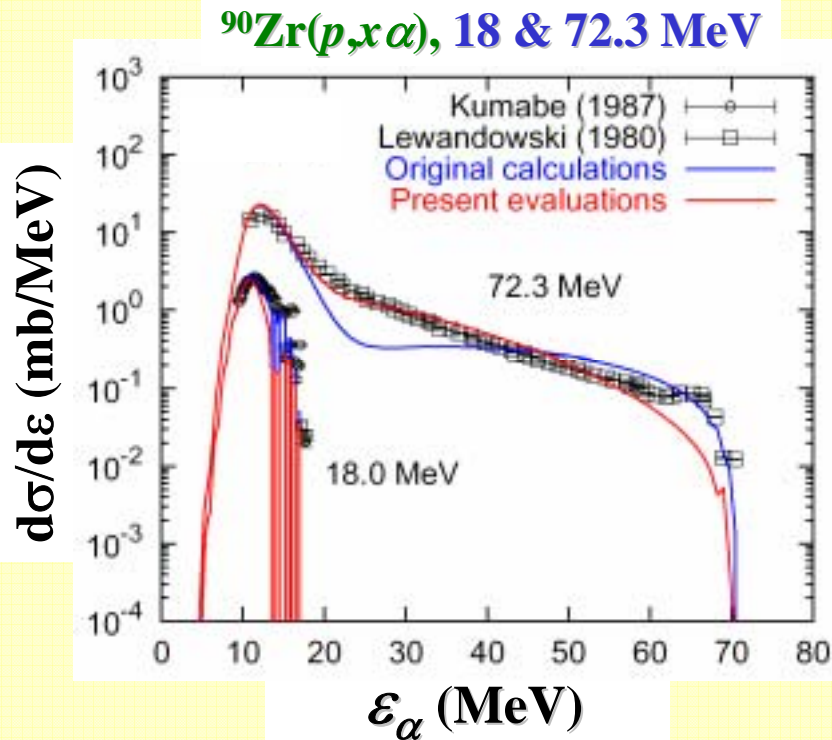


$^{90}\text{Zr}(p,x^3\text{He}), 72 \text{ MeV}$



α -particle prod.

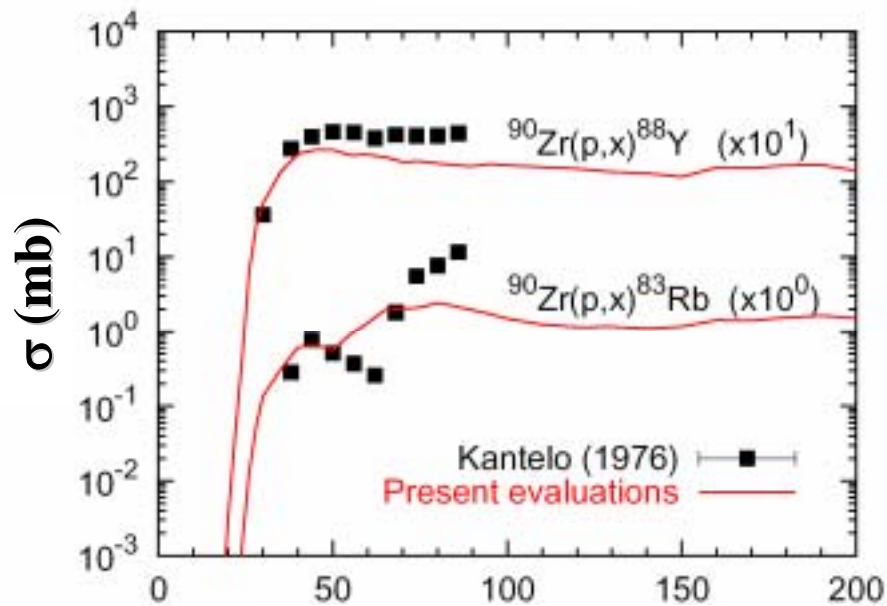
(Our evaluations & LA150 eval.)



Isotope-prod. c.s.

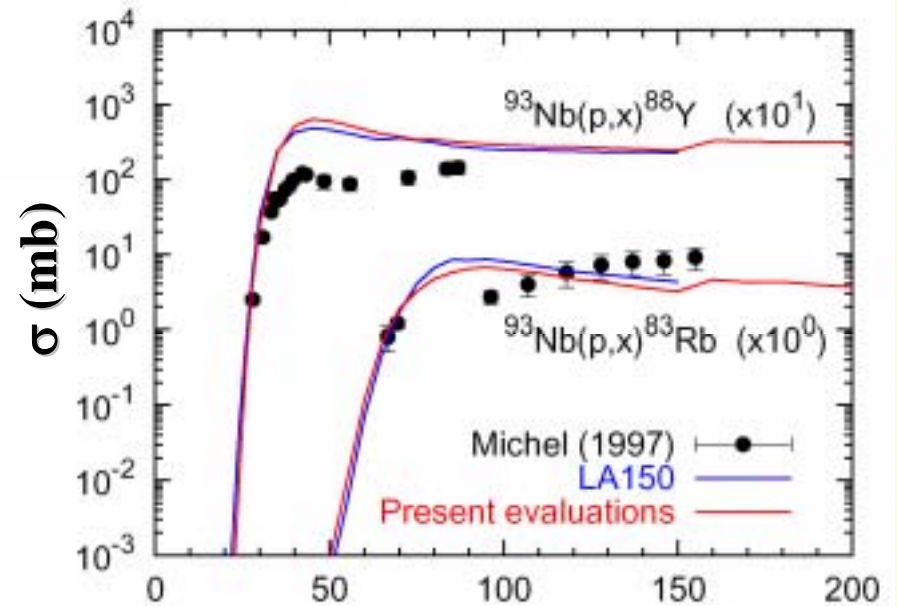
(Our evaluations & LA150 eval.)

$^{90}\text{Zr}(p,x)$



E_p (MeV)

$^{93}\text{Nb}(p,x)$



E_p (MeV)

Summary

- Nuclear data were evaluated for neutron and proton on Zr, Nb, and W up to 200 MeV.
- Average well depth was treated as adjustable parameter.
- Giant resonance contribution were considered for (n, xn) .
- Modified semi-empirical Kalbach model was used for α -particle pre-equilibrium emission.
- Our evaluations agreed with experimental data better than LA150 evaluations especially for (p, xn) , $(p, x\alpha)$